

## 2.1 Analyzing Loans with the TI83 Calculator Finance App

### Learning Targets:

1. Demonstrate understanding of which types of problems can be solved with the Finance App and which cannot.
2. Use the Finance App to solve loan problems involving regular payments:
  - a. Finding the periodic payment amount
  - b. Determining how long it will take to repay a loan
  - c. Calculating the interest paid on a loan
3. Comparing loan options.
4. Examining a home mortgage loan.

# TI83 Finance App

The Finance App is a useful tool that can be used to solve many of the finance problems in Unit 1 and Unit 2. It **can't**, however, be used to solve any problems related to *simple interest*.

**Lump-sum** problems involving compound interest investments or loans can often be solved more easily using the compound interest **formula** rather than by using the Finance App.

# TI83 Finance App

The Finance App is very useful when solving loan problems involving *regular payments*.

When using this Finance App, the compounding frequency and payment frequency do not need to match (like they did in order to use the regular payment formula for investments).

# Loans with the TI83 Finance App

APPS

1:Finance...

1:TVM Solver...

N = total number of payments → use "payment frequency"

I% = the annual interest rate

PV = present value (principal) → loan amount

PMT = periodic payment amount

FV = future value → "0" for a loan paid in full

P/Y = payments made per year

C/Y = compounding periods per year

PMT: END BEGIN

don't have  
to match



### Example #1: Finding the periodic payment amount

Nina purchased a \$23,000 car through a finance company. She is paying 2.9% interest, compounded monthly, over a term of 6 years.

- a) What is Nina's monthly payment on this loan?
- b) How much interest will she pay over the term of this loan?

a)

$$\begin{aligned}N &= 12 \times 6 = 72 \\I\% &= 2.9 \\PV &= 23\,000 \\PMT &= 0 \rightarrow \$348.43 \\FV &= 0 \\P/Y &= 12 \\C/Y &= 12\end{aligned}$$

b)

$$\begin{array}{r}348.4265323 \\ \times 72 \\ \hline \$25\,086.71\end{array}$$
$$\begin{aligned}I &= 25\,086.71 - 23\,000 \\ &= \$2\,086.71\end{aligned}$$

## Example #2: Determining how long it will take to repay a loan

Jackie borrowed \$5,500 to purchase a motorcycle. The bank loan is at 8.25% interest, compounded annually. Jackie intends to make monthly payments of \$220.

a) How long will it take for Jackie to pay back this loan?

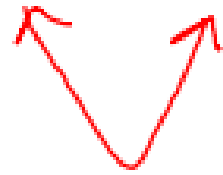
b) How much interest will Jackie pay for this loan?

a)

$N = 0$	$\rightarrow 27.42333268$	
$I\% = 8.25$	$\uparrow$	
$PV = 5500$	full	
$PMT = -220$	pmts	
$FV = 0$		
$P/Y = 12$	$\uparrow$	
$C/Y = 1$	partial	
	pmt	$= 28$ months to pay off this loan

b)  $(27.42333268)(220) - 5500 = \$533.13$  in interest

$$\text{Interest} = N \times \text{PMT} - \text{PV}$$



don't round

here ... round after you  
finish the calculation

### **Example #3: Comparing loan options**

Billie has been offered the following two loan options for borrowing \$6000. Which should she choose and why?

**Option A:** She can borrow at 5.1% interest, compounded annually, and pay off the loan in payments of \$1390.00 at the end of each year.

**Option B:** She can borrow at 5.1% interest, compounded weekly, and pay off the loan in payments of \$125.00 per month.



**Option A:** She can borrow at 5.1% interest, compounded annually, and pay off the loan in payments of \$1390.00 at the end of each year.

$$N = 0$$

$$I\% = 5.1$$

$$PV = 6000$$

$$PMT = -1390$$

$$FV = 0$$

$$P/Y = 1$$

$$C/Y = 1$$

$$\rightarrow 4.998700993 \rightarrow 5 \text{ years}$$

$$\begin{aligned} \text{Interest} &= (4.998700993)(1390) - 6000 \\ &= \$948.19 \end{aligned}$$

**Option B:** She can borrow at 5.1% interest, compounded weekly, and pay off the loan in payments of \$125.00 per month.

$$N = 0 \rightarrow 53.80882207 \rightarrow 54 \text{ months}$$

$$I\% = 5.1$$

$$PV = 6000$$

$$PMT = -125$$

$$FV = 0$$

$$P/Y = 12$$

$$C/Y = 52$$

$$\rightarrow \frac{54}{12} = 4.5 \text{ yrs}$$

$$\begin{aligned} \text{Interest} &= (53.80882207)(125) - 6000 \\ &= \$726.10 \end{aligned}$$

## Conclusion:

Loan B - it costs less interest  
- it is paid off more quickly

# Home mortgage loans:

Many real-estate purchases require large loans (called *mortgages*). Mortgage loans on homes are almost never for 100% of the purchase price, which requires that the purchaser pay a portion of the purchase price in cash (called a *down payment*), and the remainder of the purchase price is loaned to them via the mortgage.

## Example #4: Home mortgage loan

Joe and Maxine are purchasing a home in Regina for \$375,900. Their bank is offering a mortgage for 90% of the purchase price at a rate of 2.25% interest compounded semi-annually, with regular monthly payments for 25 years.

- How much money will they need for the down payment?
- How much will the principal of the mortgage be?
- How much will their monthly payment be?
- How much interest will they pay by the time they pay off the entire mortgage?
- How long will it take before they have paid off half of the loan?

a) 10% of the purchase price

$$(0.1)(375900) = \$37590.00 \text{ down payment (cash)}$$

$$b) \$375900 - 37590 = \$338310.00 \text{ mortgage loan}$$

*Solution:*

$$c) N = 12 \times 25 = 300$$

$$I\% = 2.25$$

$$PV = 338\,310$$

$$PMT = 0 \rightarrow \$1473.72 \text{ monthly pmt}$$

$$FV = 0$$

$$P/Y = 12$$

$$C/Y = 2$$

$$d) \text{Interest} = (300)(1473.719294) - 338\,310 \\ = \$103\,805.79$$

e)  $N = 0 \rightarrow 170.7080926 \rightarrow 171 \text{ months}$

$I\% = 2.25$

$PV = 338\,310$

$PMT = -1473.719294$

$FV = -169\,155$

$P/Y = 12$

$C/Y = 2$

$\frac{171}{12} = 14.25 \text{ yrs}$



**Check your understanding:**

**Text pg. 93 - 95,**

#7, 8, 9, 13, 16